Section ...

Supported Block: A 2D Case

1.1-1 Introduction

[1] In this section, we consider a block [2] supported by a hinge [3] and a roller [4] and find the reaction forces at the supports. Before we proceed to solve the problem using **SOLIDWORKS**, let's manually calculate the reaction forces.

From the free-body diagram [5], taking the moment equilibrium about A, we have

$$\sum M_A = 0$$

(150 N)(1 m) + (300 N)(0.5 m) - B_Y (1.5 m) = 0
 $B_Y = 200 \text{ N}$

Force equilibrium in Y direction,

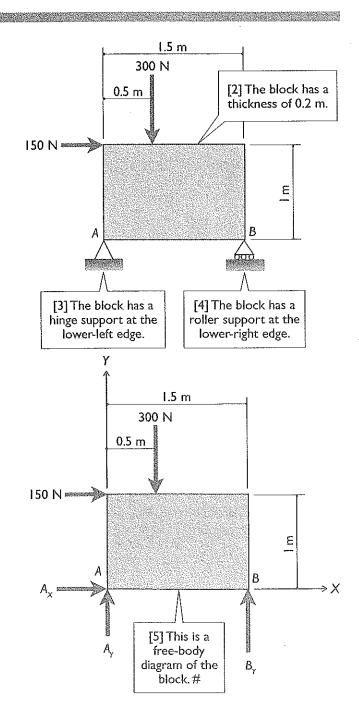
$$\sum F_{y} = 0$$
 $A_{y} + B_{y} - (300 \text{ N}) = 0 \text{ (where } B_{y} = 200 \text{ N)}$
 $A_{y} = 100 \text{ N}$

Finally, force equilibrium in X direction,

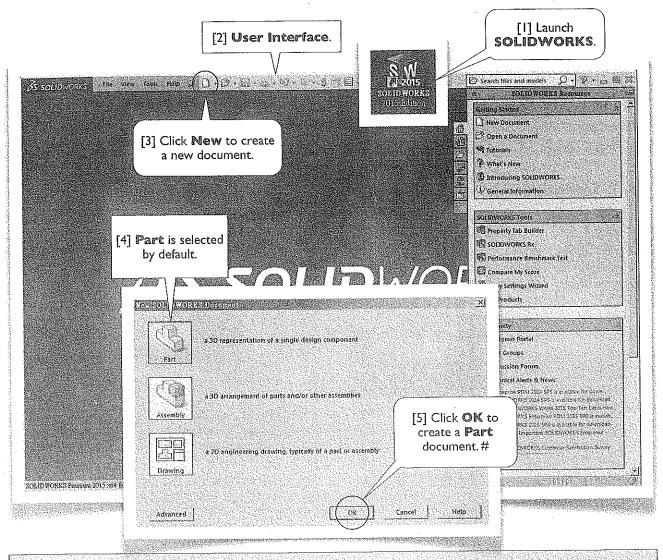
$$\sum F_x = 0$$

 $A_x + (150 \text{ N}) = 0$
 $A_x = -150 \text{ N}$

Note that the negative sign of A_{χ} indicates that it is opposite to the assumed direction shown in [5]. Now, let's solve this problem with SOLIDWORKS. If you know how to solve a simple problem like this, you may be able to solve a much more complicated problem.



1.1-2 Launch SOLIDWORKS and Create a New Part



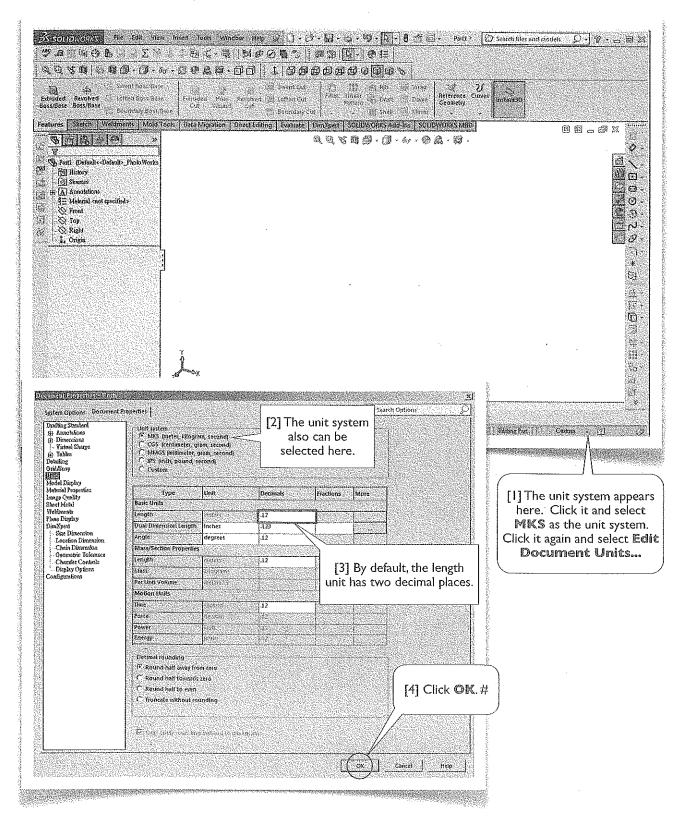
About the Textboxes

- 1. Within each subsection (e.g., 1.1-2), textboxes are ordered with numbers, each of which is enclosed by a pair of square brackets (e.g., [1]). When you read the contents of a subsection, please follow the order of the textboxes.
- 2. The textbox numbers are also used as reference numbers. Inside a subsection, we simply refer to a textbox by its number (e.g., [1]). From other subsections, we refer to a textbox by its subsection identifier and the textbox number (e.g., 1.1-2[1]).
- 3. A textbox is either round-cornered (e.g., [1, 3, 5]) or sharp-cornered (e.g., [2, 4]). A round-cornered textbox indicates that **mouse or keyboard actions** are needed in that step. A sharp-cornered textbox is used for commentary only; i.e., mouse or keyboard actions are not needed in that step.
- 4. A symbol # is used to indicate the last textbox of a subsection [5], so that you don't leave out any textboxes.

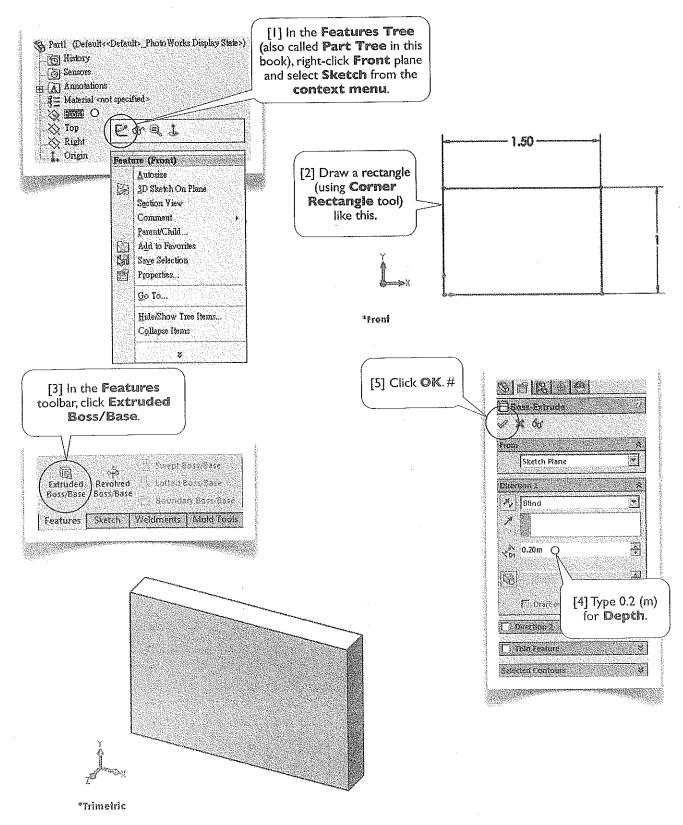
SOLIDWORKS Terms

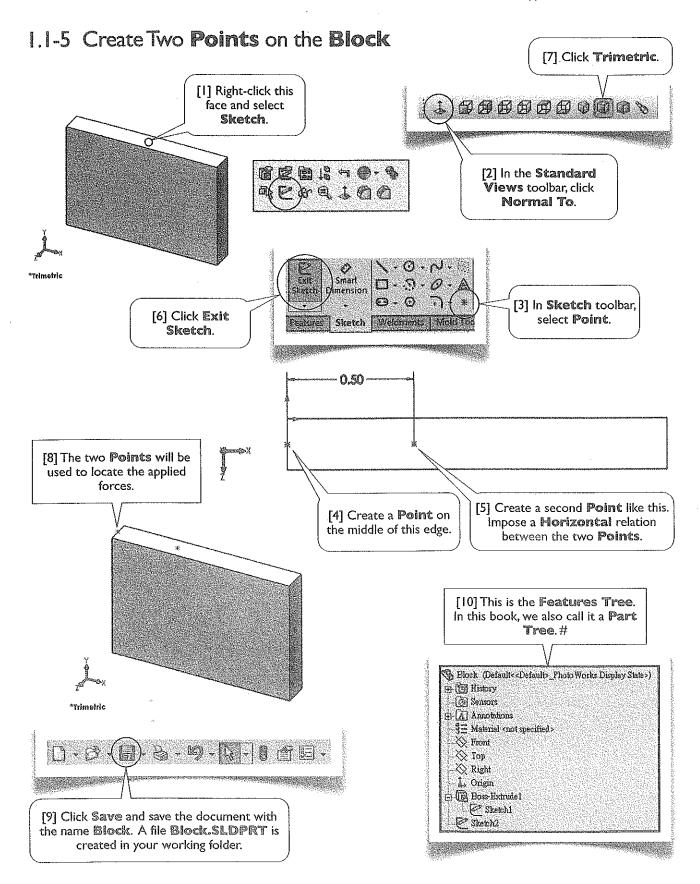
In this book, terms used in the SOLIDWORKS are boldfaced (e.g., Part in [4, 5]) to facilitate the readability.

1.1-3 Set Up Unit System

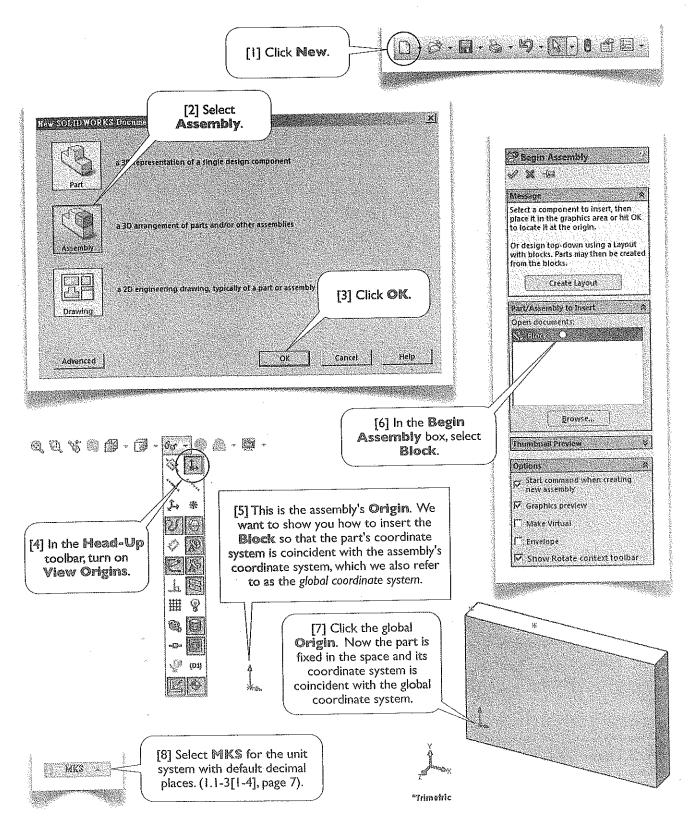


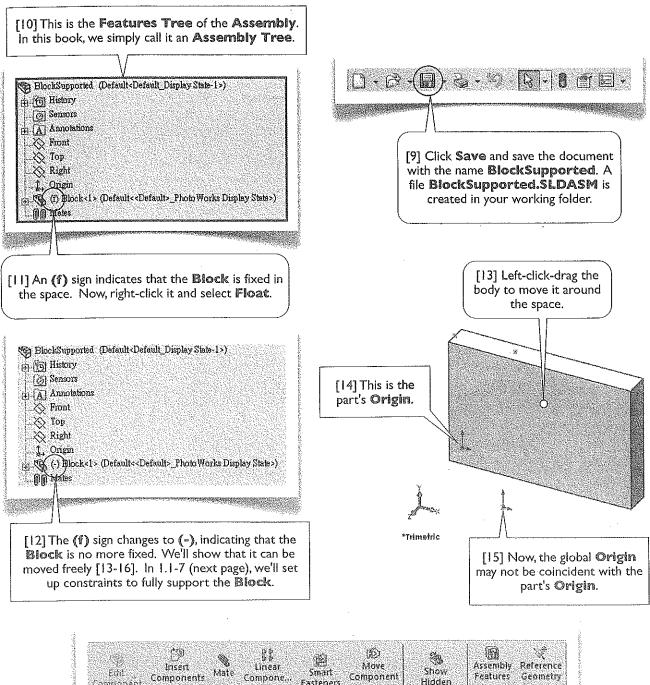
1.1-4 Create a Part: Block

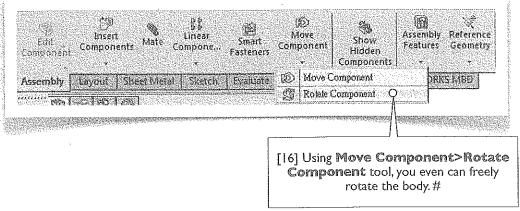




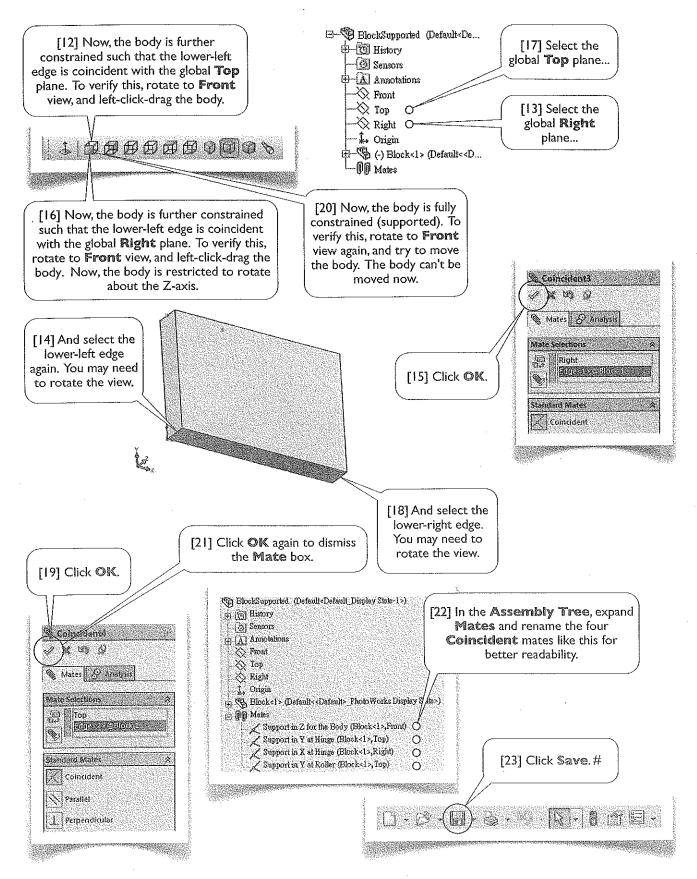
1.1-6 Create an Assembly: BlockSupported



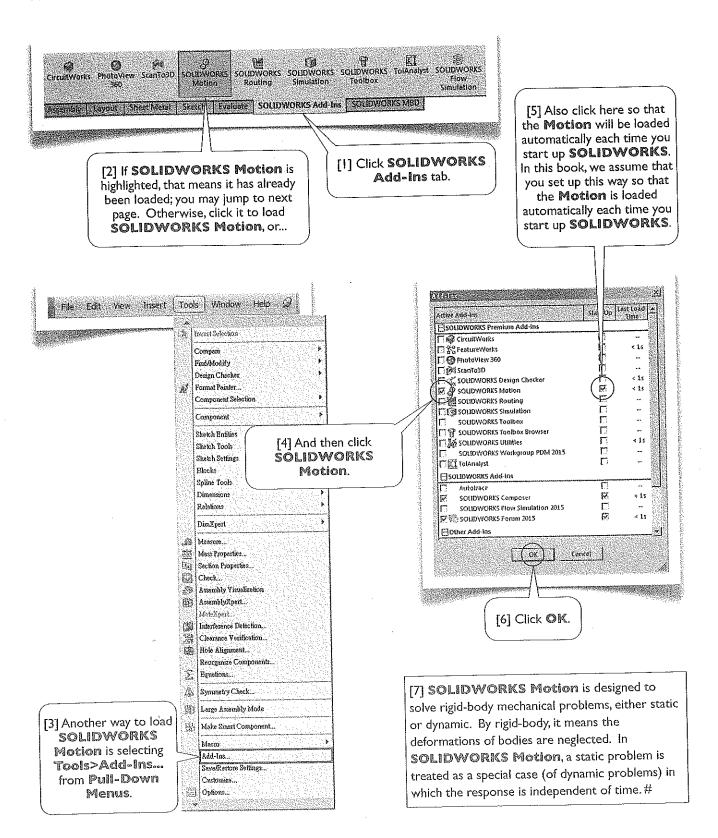




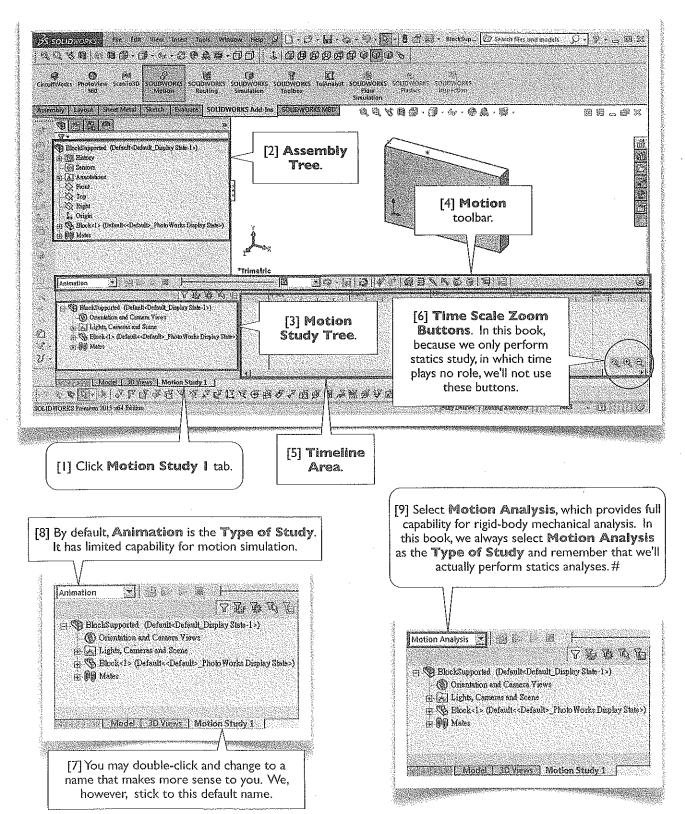
1.1-7 Set Up Supports [I] In the Assembly toolbar, click Mate. Mate [2] In the Graphics Area, expand the ⊟ BlockSupported (Default De... Assembly Tree, and select the assembly's 由 图 History (global) Front plane... [3] And select the body's - 🗐 Sensors back face. You may need -A Annotations to rotate the view. ♦ Front O 🔆 Top [9] Select the global 🔆 Right Top plane... 🗘 Origin -😘 (-) Block<1> (Default<<D... -00 Mates L Coincident1 [5] Click OK. Note that the Mate box is still open. 🐧 Mates 🔑 Analysis [6] Now, the body is constrained such that the back face is coincident with the global Front plane. To verify this, rotate to Top view, and left-click-drag the body. [4] Coincident mate is Concident automatically selected. Parallel 1/99999999 Perpendicular ("N. Yangerit (Q) Consenting Lock [8] Finally, rotate to [7] Also, rotate to Front view, and left-0.0584277m Right view, and leftclick-drag the body. click-drag the body. 'N Odeg We conclude that the Mate alignment body is indeed constrained to move in XY-space. [10] And select the lower-left) Calndidar 2 edge. You may need to rotate 🗞 Mates 🔗 Analysis the view. [11] Click OK.



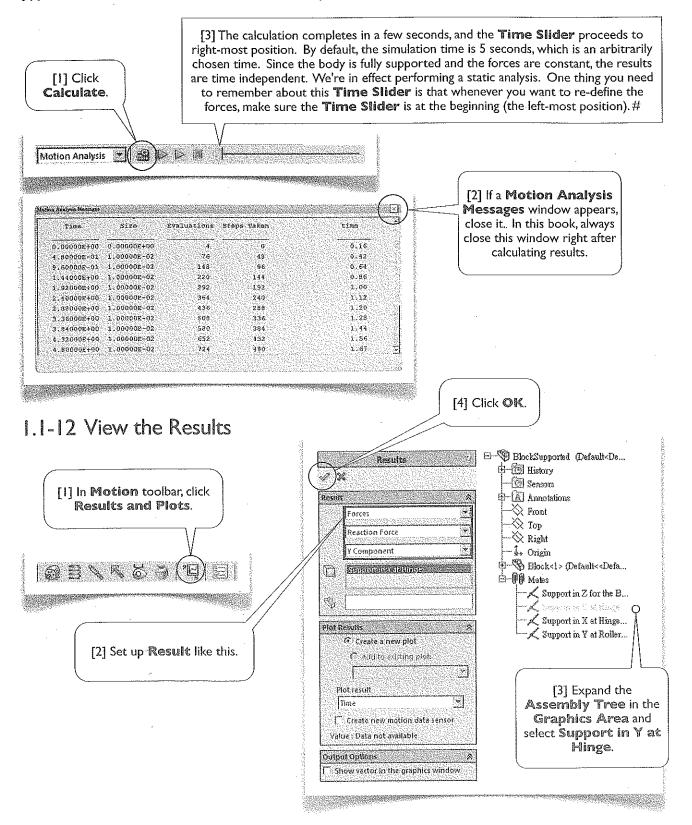
1.1-8 Load SOLIDWORKS Motion



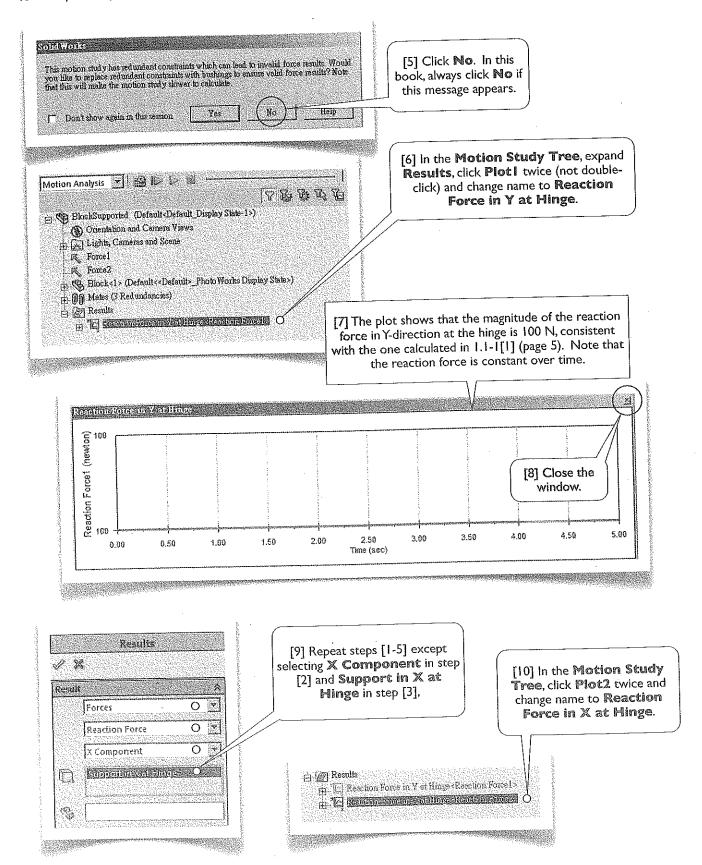
1.1-9 Create a Motion Study

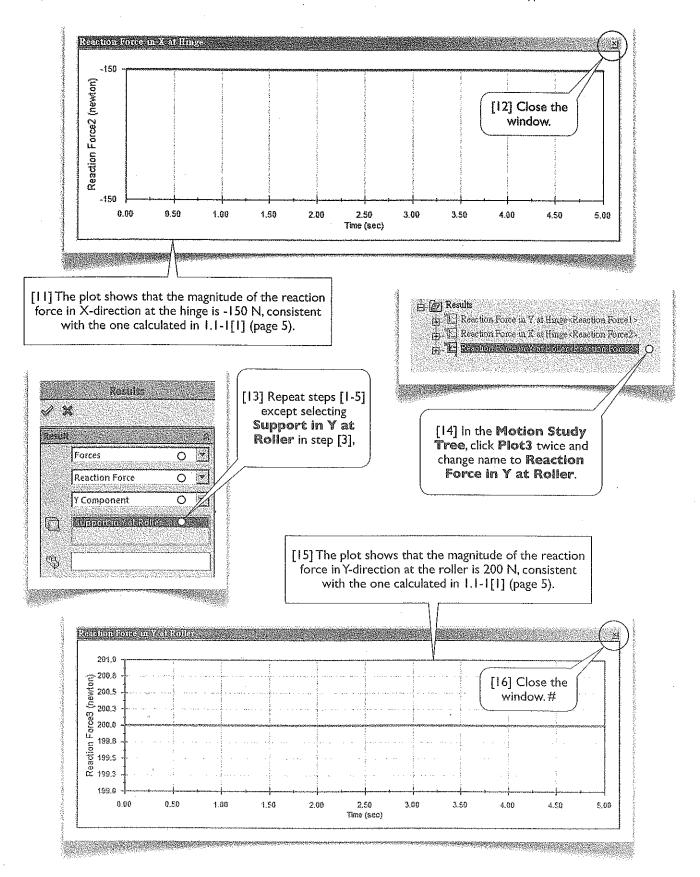


I.I-II Calculate Results



18

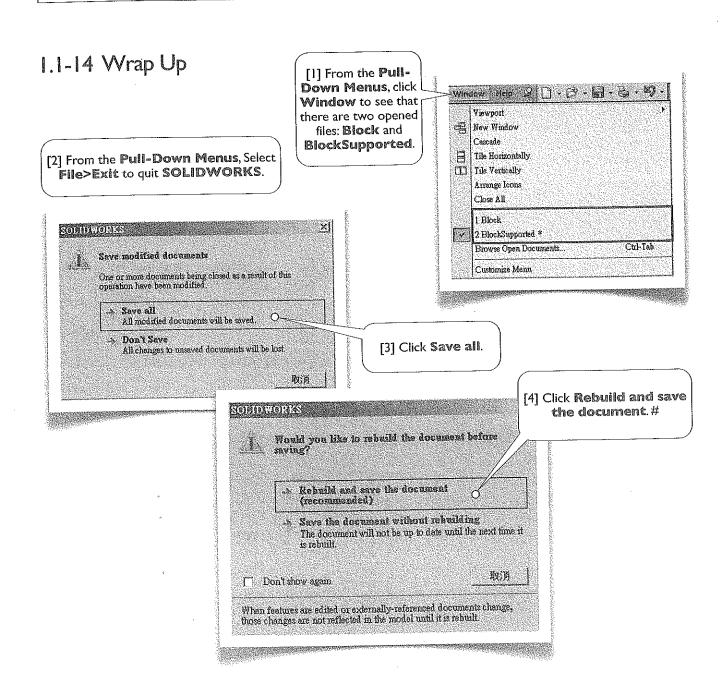




1.1-13 Do It Yourself: Validation of the Results

Do It Yourself

[1] To verify the validity of the results, you may check the force and moment equilibria for the body. In a 2D problem like this, you need to check 3 equilibrium equations to conclude the validity of the results. Of course, the 3 equilibrium equations must be independent.#



Section 1.2

Supported L-Plate: A 3D Case

1.2-1 Introduction

[1] Consider an L-shaped plate of thickness 5 mm [2] supported at three corners [3-5] and subject to a force P [6]. We want to find the reaction forces at the supports.

There are six reaction force components in this problem, namely D_x, D_y, D_z, B_x, B_z , and C_y . It is possible to establish six equations, according to force and moment equilibria, and solve these six reaction forces. However, we may calculate C_{v} directly by considering the moment equilibrium about the axis passing through B and D,

$$\sum M_{\rm RD} = 0$$

$$\vec{\lambda}_{\mathrm{BD}} \cdot (\vec{r}_{\mathrm{A/B}} \times \vec{P}) + \vec{\lambda}_{\mathrm{BD}} \cdot (\vec{r}_{\mathrm{C/D}} \times \vec{C}_{\mathrm{Y}}) = 0$$

where the unit vector along BD,

$$\vec{\lambda}_{\rm gp} = \frac{(-8 \text{ cm})\vec{i} + (-9 \text{ cm})\vec{j} + (12 \text{ cm})\vec{k}}{\sqrt{(6^2 + 9^2 + 12^2)} \text{ cm}}$$

the position vectors,

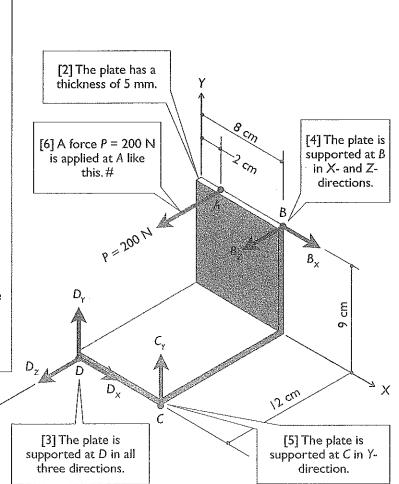
$$\vec{r}_{A/B} = (-6 \text{ cm})\vec{i}, \ \vec{r}_{C/D} = (8 \text{ cm})\vec{i}$$

and the forces.

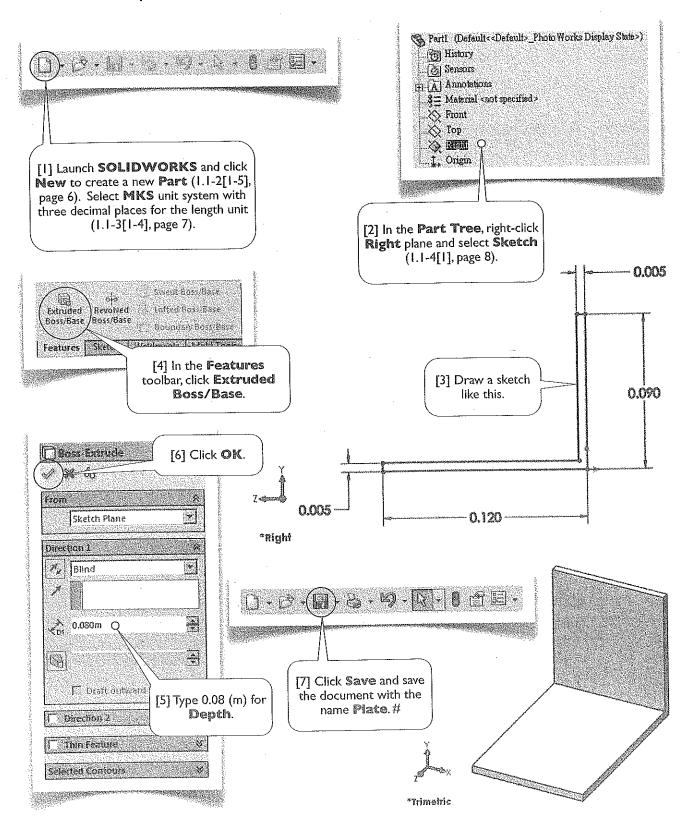
$$\vec{P} = (200 \text{ N})\vec{k}, \ \vec{C}_{y} = (C_{y})\vec{j}$$

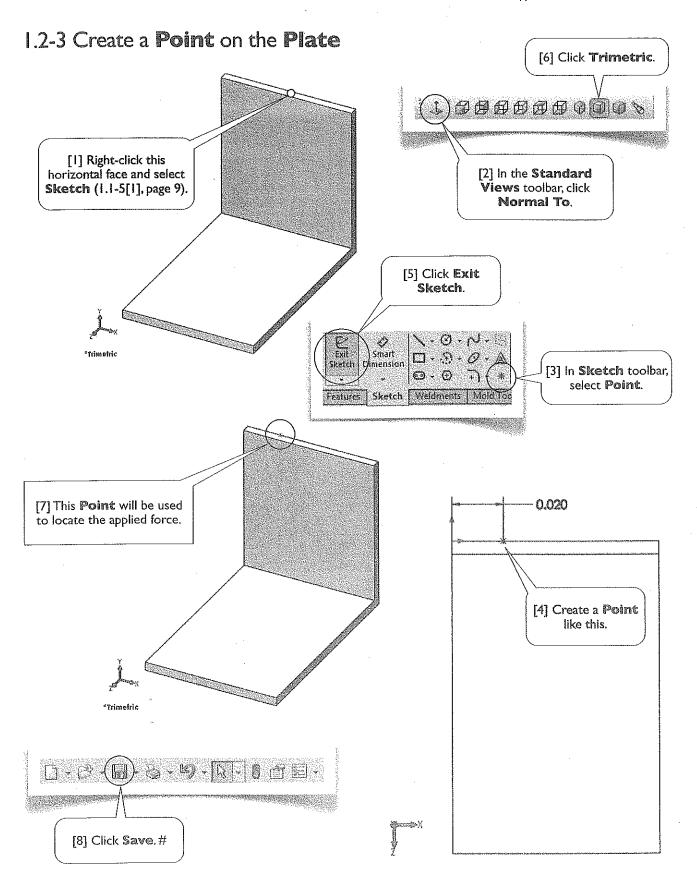
Substituting these into the moment equilibrium equation, and after mild calculation, we have the reaction force in Y at C,

$$C_{\gamma} = 112.5 \text{ N}$$
 (1)

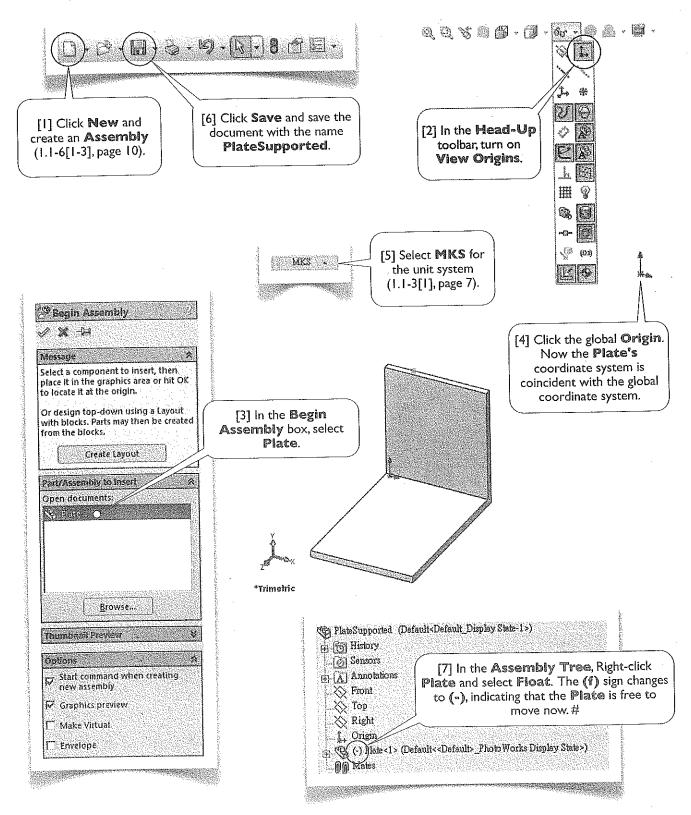


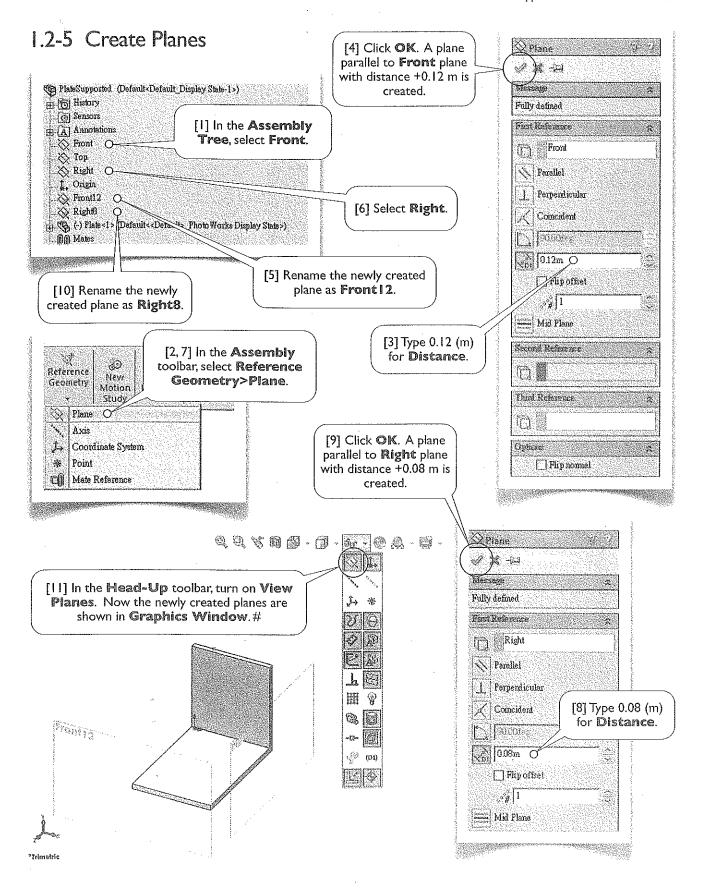
1.2-2 Start Up and Create a Part: Plate





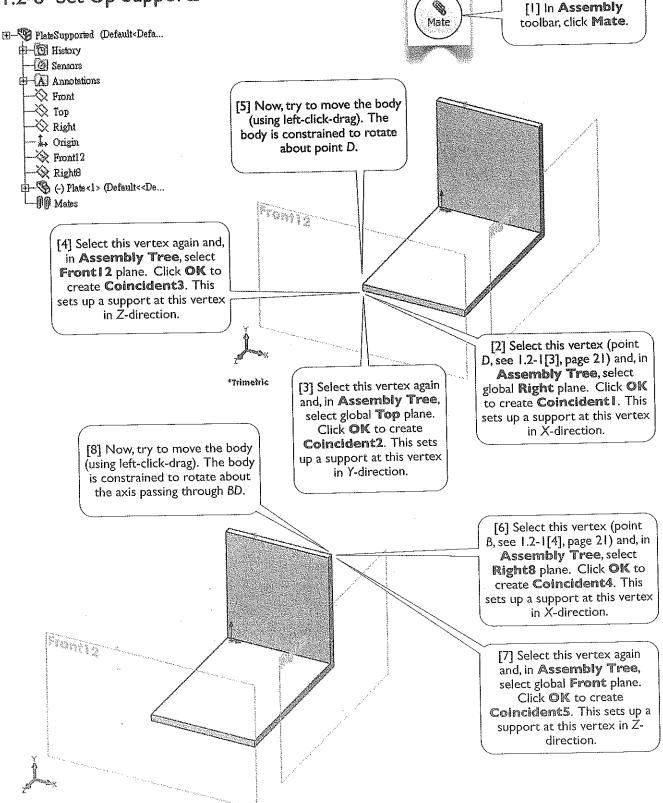
1.2-4 Create an Assembly: PlateSupported

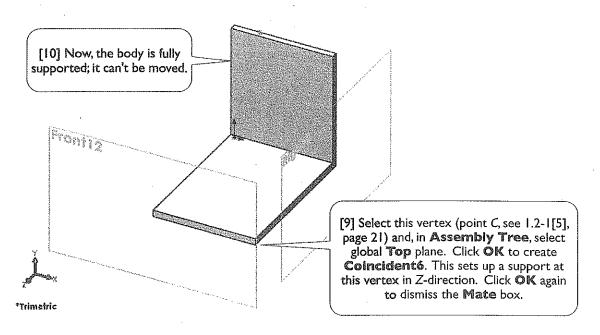


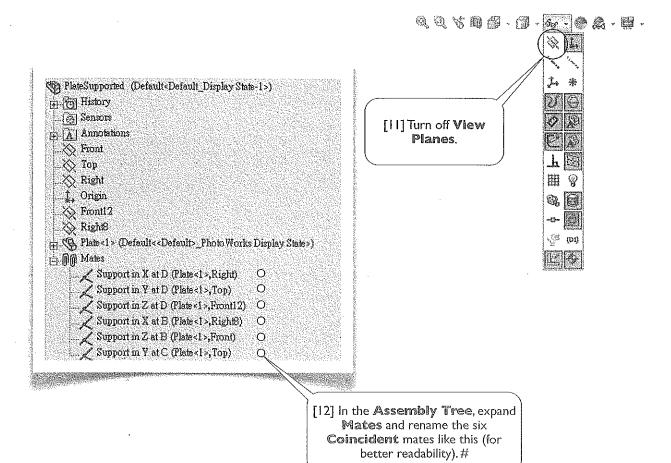


*Trimetric

1.2-6 Set Up Supports

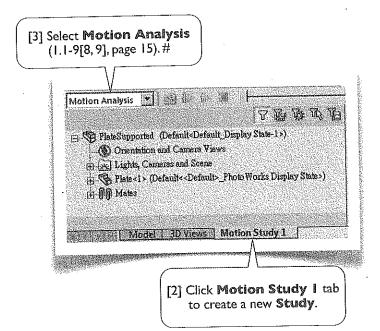




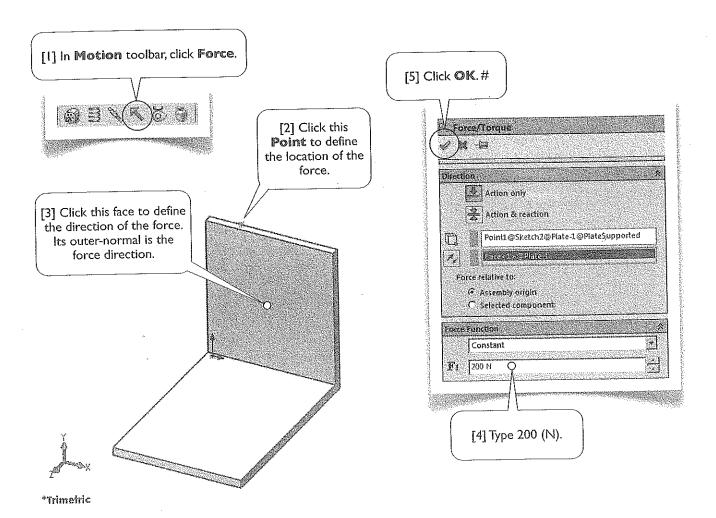


1.2-7 Create a Study

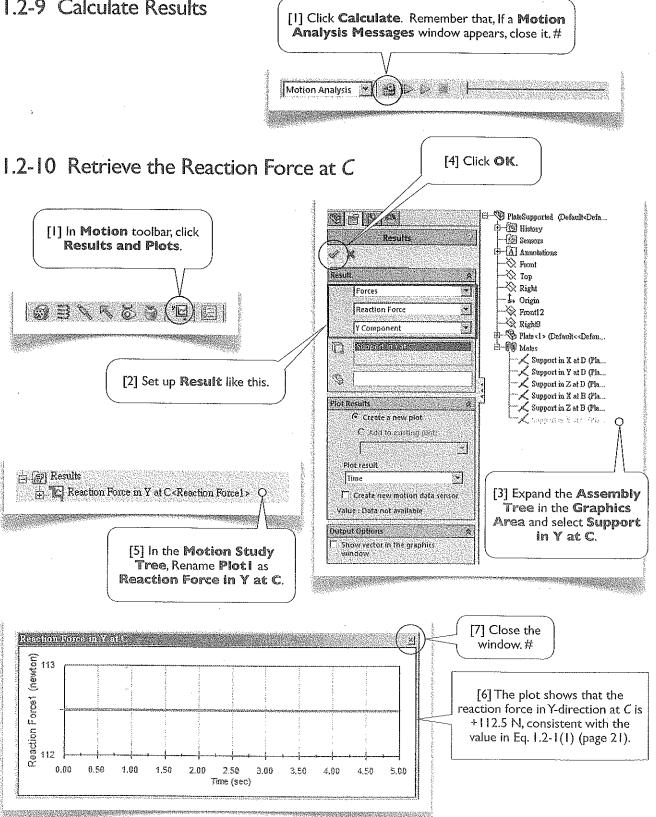
[1] Load **SOLIDWORKS Motion** if it is not loaded yet (1.1-8, page 14).



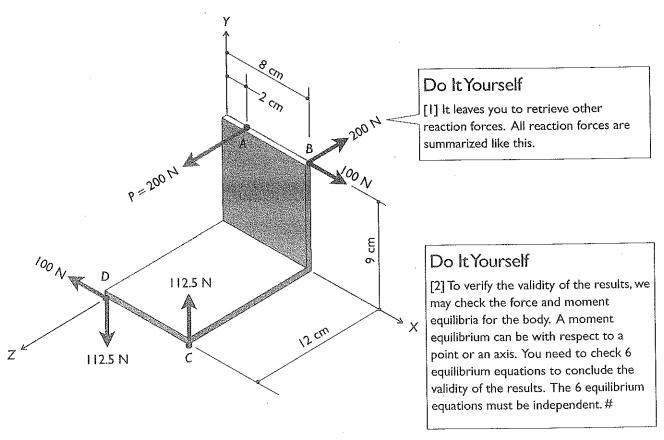
1.2-8 Set Up Forces



1.2-9 Calculate Results



1.2-11 Do It Yourself: Other Reaction Forces and Validation of the Results



1.2-12 Wrap Up

