

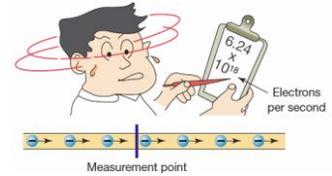
Electrical Quantities and Ohm's Law

Current, Voltage, and Resistance

Current

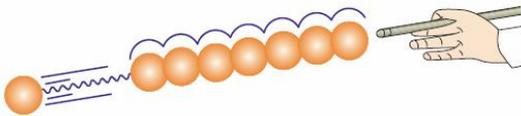
The **coulomb** is a measurement for a **quantity** of electrons, and the unit for an electric **charge**.

Current (I) is the **rate of flow** of electrons through a conductor and is measured in **Amperes (A)**.



One ampere of current is equal to **1 coulomb** of charge moving past a given point in **1 second**.

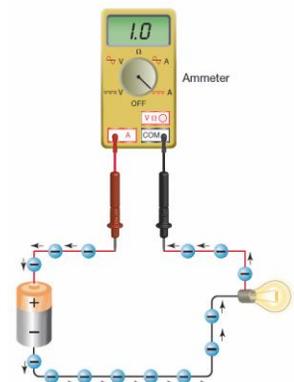
The electric current is the **impulse** of electric energy that **one electron transmits to another** as it changes orbit.



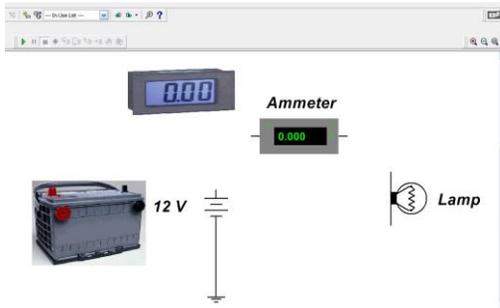
While the **individual electrons** travel less than an inch per second, the current effectively travels through the conductor nearly at the **speed of light**.

An **ammeter** is used to measure **current** flow in a circuit.

The ammeter is inserted **into the path** of the current flow, or in **series**, to measure current.



Simulated Ammeter Connection



The ammeter measures electron flow in **amperes**.

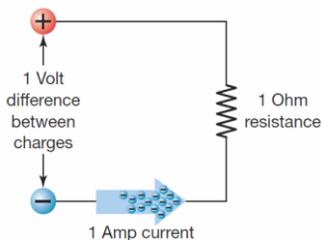
Current	Base Unit	Units for Very Small Amounts		Units for Very Large Amounts	
		μA	mA	kA	MA
Symbol	A	μA	mA	kA	MA
Pronounced As	Ampere (Amp)	Microampere	Milliampere	Kiloampere	Megampere
Multiplier	1	0.000001	0.001	1,000	1,000,000

Micro (1/1,000,000) and **Milli (1/1,000)** amperes represent very small amounts of current.

Kilo (1,000) and **Mega (1,000,000)** amperes represent very large amounts of current.

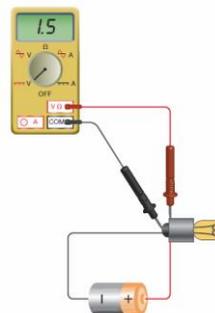
Voltage

Voltage (V, EMF, or E) is the difference in electric charge between two points and is measured in **volts (V)**.



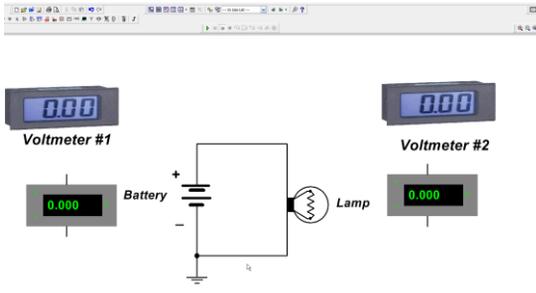
A voltage of **1 volt** is required to force **1 ampere** of current through **1 ohm** of resistance.

A **voltmeter** is used to measure the **potential difference** across two points in an electrical circuit.



The voltmeter is connected in **parallel** across the circuit element.

Simulated Voltmeter Connection



The voltmeter measures potential difference in **volts**.

Voltage	Base Unit	Units for Very Small Amounts	Units for Very Large Amounts
Symbol	V	μV	kV
Pronounced As	Volt	Microvolt	Kilovolt
Multiplier	1	0.000001	1,000
		0.001	1,000,000
			MV
			Megavolt

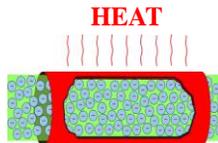
Small voltage values are expressed in **millivolts (1/1,000)** and **microvolts (1/1,000,000)**

High voltage values are expressed in **kilovolts (1,000)** and **megavolts (1,000,000)**

Resistance

Resistance (R) is the **opposition** to the flow of electrons or current and measured in **ohms (Ω)**.

Resistance creates **heat** caused by the **collision** of **electrons and atoms**.



The **higher** the resistance the **greater** is the **opposition** to current flow.

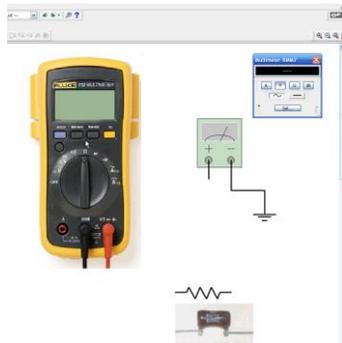
An **ohmmeter** is used to measure **resistance**.

The ohmmeter applies an **internal battery voltage** into the circuit, measures the resulting **current**, and then **calculates** the resistance.



Ohmmeters should never be connected to live circuits!

Simulated Resistance Measurement



Power

Electric power (P) is the amount of electric energy **converted** to another form of energy in a given length of **time**.

Power = voltage \times current

Watts = volts \times amperes

$$P = E \times I$$

$$E = P \div I$$

where

P = the power in watts

E = the voltage in volts

I = the current in amperes



Problem: An iron draws 10 A from an 120-V household supply. How much power is used?



Solution:

$$P = E \times I$$

$$= 120 \text{ V} \times 10 \text{ A}$$

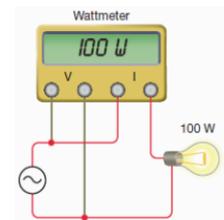
$$= 1,200 \text{ W or } 1.2 \text{ kW}$$

Power can be **measured** using a **wattmeter**.

The wattmeter is basically a **voltmeter** and **ammeter** combined into one instrument.

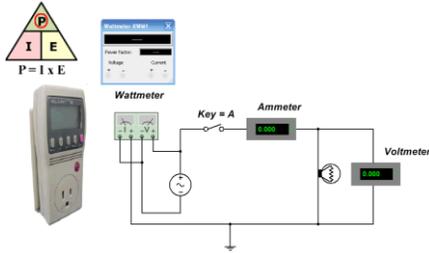
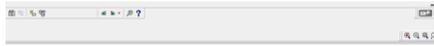
Power = voltage \times current

Watts = volts \times amperes



The wattage rating of a lamp indicates the **rate** at which it can convert **electric energy into light**.

Watts = Volts x Amps



Energy

Electric energy refers to the **energy of moving electrons**.

Power and **time** are the factors in determining the amount of **energy used**.



The **watt-hour (Wh)** is the **base unit** for measurement of electric energy.

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Energy measurements are used in calculating the **cost** of electric energy.



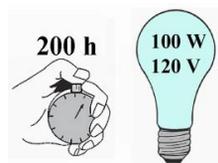
If power is measured in **watts** and **multiplied** by the **hours** of use, the resultant is **watt-hours (Wh)**.

If power is measured in **kilowatts** and **multiplied** by the **hours of use**, the resultant is **kilowatt-hours (kWh)**.

Problem: Assuming that the cost of electricity is 5 cents (\$0.05) per kWh, how much will it cost to operate a 100-W lamp continuously for 200 hours?

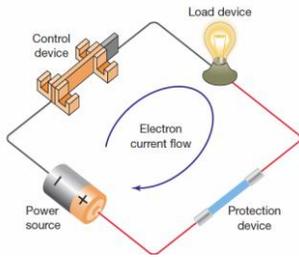
Solution:

$$\begin{aligned} \text{kWh} &= \frac{100 \text{ W} \times 200 \text{ h}}{1,000} \\ &= 20 \text{ kWh} \\ \text{Cost} &= \text{kWh} \times \text{rate} \\ &= 20 \times \$0.05 \\ &= \$1.00 \end{aligned}$$



Electric Circuit

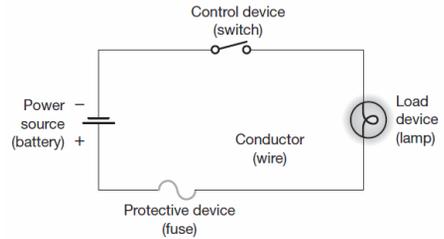
Essential Parts



A complete or **closed circuit** is needed for current to flow.

If the circuit is broken at any point (**open circuit**), there is no longer a closed loop and no current can flow.

Circuit Schematic Diagram



The **schematic** diagram shows the components of the circuit as **symbols**.

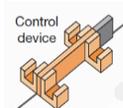
Power sources supply the electric pressure or **voltage** required to push current through the circuit.



Conductors provide a **low-resistance path** from the source to the load.



Control devices open and close circuits to switch the current flow **OFF and ON**.



Lamp **load** converts the electric energy from the power source into **light and heat** energy.

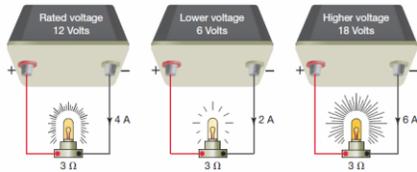


Fuse protection devices melt to automatically open the circuit in the event of a **higher** than rated **current** flow.



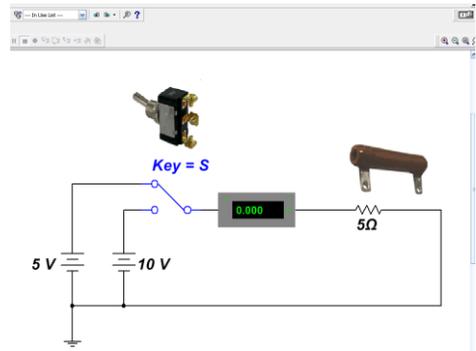
Ohm's Law

According to Ohm's Law the **current** flowing in a circuit is **directly proportional** to the applied **voltage**.

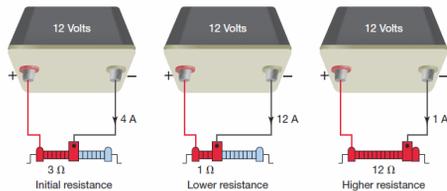


If the **circuit resistance remains constant**, the **higher** the **voltage**, the **higher** the **current**.

Current Is Directly Proportional To Voltage

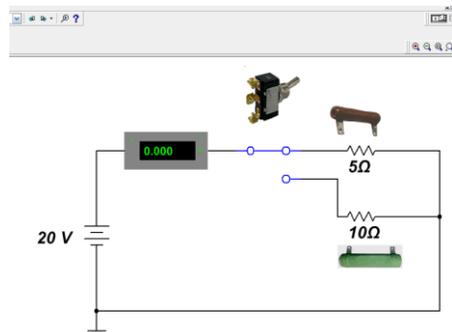


According to Ohm's Law the **current** flowing in a circuit is **inversely proportional** to the applied **resistance**.

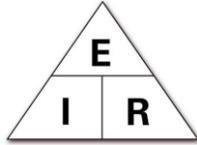


If the **circuit voltage remains constant**, the **higher** the **resistance**, the **lower** the **current**.

Current Is Inversely Proportional To Resistance



Ohm's law can be stated as mathematical equations:



$$I = \frac{E}{R} \quad (\text{current} = \text{voltage} \textit{ divided by} \textit{ resistance})$$

$$E = I \times R \quad (\text{voltage} = \text{current} \textit{ times} \textit{ resistance})$$

$$R = \frac{E}{I} \quad (\text{resistance} = \text{voltage} \textit{ divided by} \textit{ current})$$

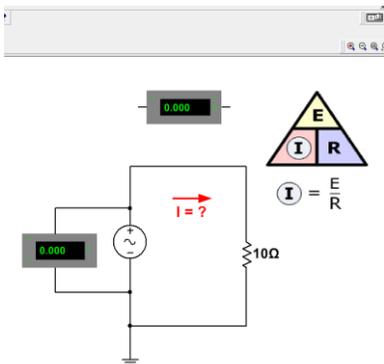
Problem: A portable heater with a resistance of 10Ω is plugged into a 120-volt electrical outlet. How much current will flow to the heater?



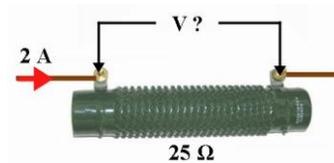
Solution:

$$\begin{aligned} I &= \frac{E}{R} \\ &= \frac{120 \text{ V}}{10 \Omega} \\ &= 12 \text{ A} \end{aligned}$$

Current = Voltage \div Resistance



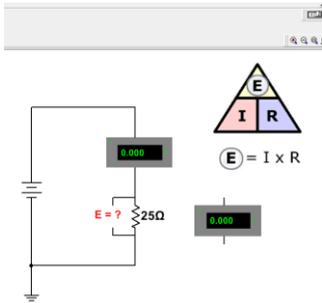
Problem: If a $25\text{-}\Omega$ resistor has a current flow of 2 A through it, how much is the voltage across it?



Solution:

$$\begin{aligned} E &= I \times R \\ &= 2 \text{ A} \times 25 \Omega \\ &= 50 \text{ V} \end{aligned}$$

Voltage = Current x Resistance



Problem: What is the resistance of a toaster element that is rated for 120 V and 8 A?

Solution:

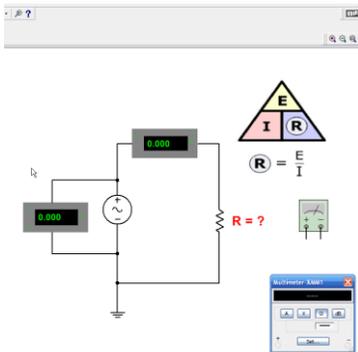
$$R = \frac{E}{I}$$

$$= \frac{120 \text{ V}}{8 \text{ A}}$$

$$= 15 \Omega$$

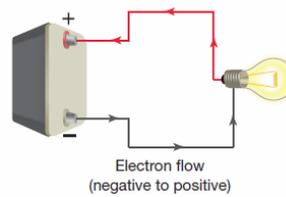


Resistance = Voltage ÷ Current



Direction of Current Flow

The **direction of current** flow in a circuit can be designated either as **electron flow** or **conventional current flow**.



Electron flow is based on the electron theory of matter and follows the motion of electrons in the circuit from **negative to positive**.

Conventional current flow is based on an older theory of electricity and assumes a current flow in the **opposite** direction from **positive to negative**.

